

developing the formulas

easy modelling of NSP projects

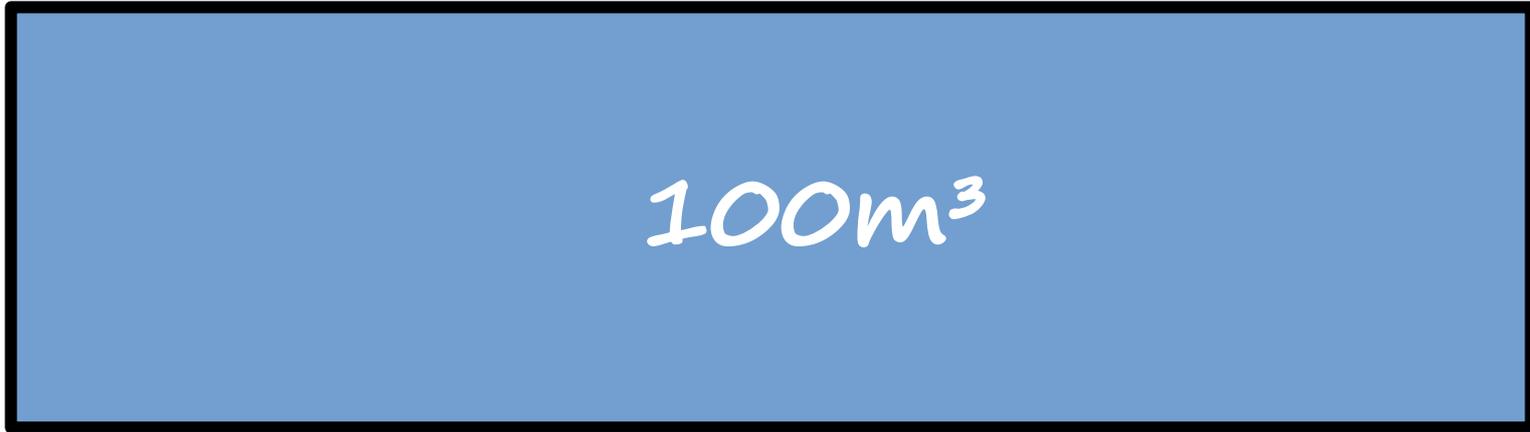
by

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for the IOB in oct 2021 in Albufeira

1.) you dig a hole and fill it with water



what will happen?

If

the water was clean, the walls of the hole were clean, no dirt falls in, no people no birds no animals spoil the water, it will stay clean

till the end of time... (true but not reality)

the water is never clean,

the walls of the hole are never clean,

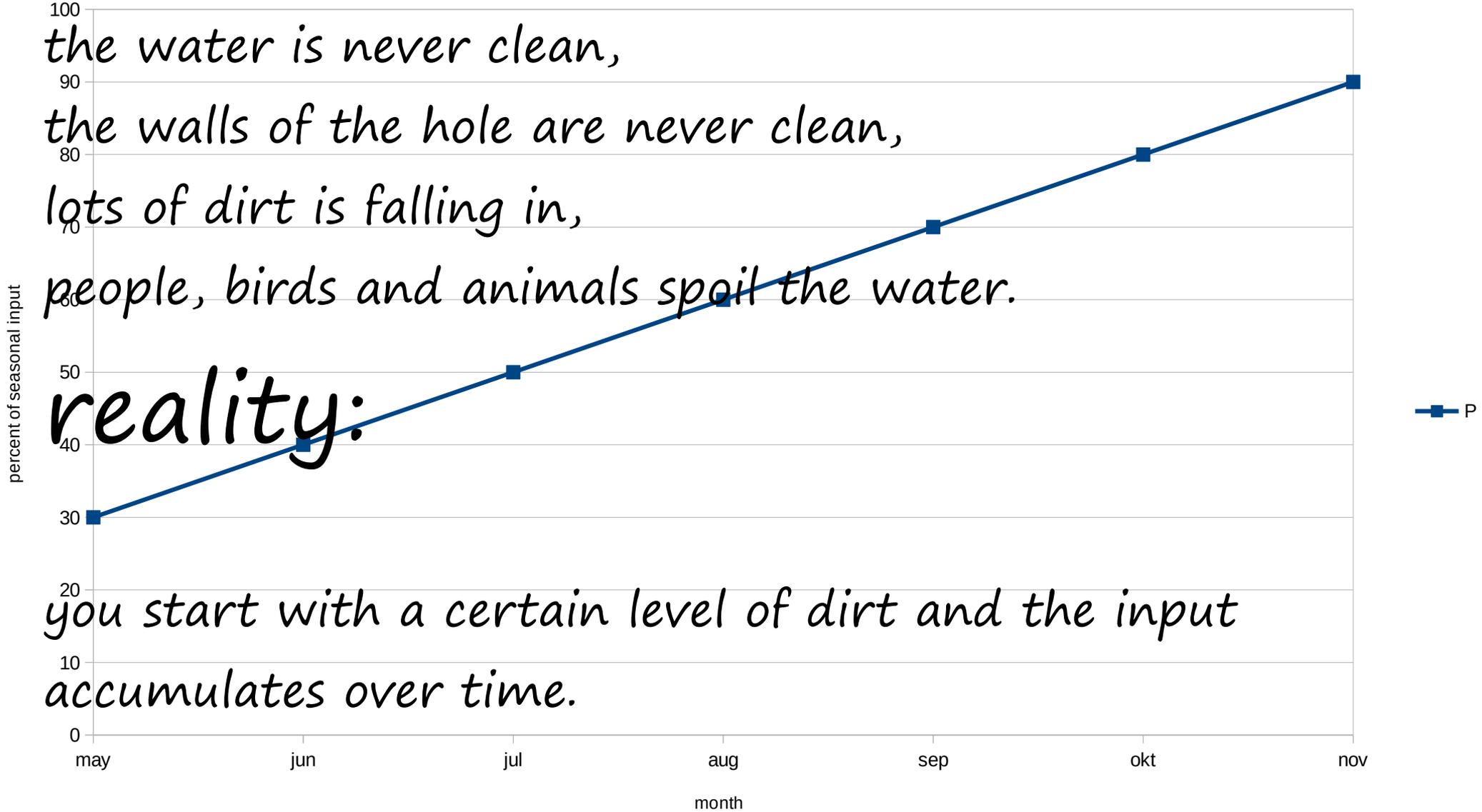
lots of dirt is falling in,

people, birds and animals spoil the water.

reality:

you start with a certain level of dirt and the input

accumulates over time.



you say dirt, you mean fertilizer

- dirt is made of
- organic material (C,N,H...P) and
- inorganic (Ca, Mg, K, Fe, Si... P) material.

these elements make a fantastic grow...

you say fertilizer, mean phosphorus

- $C \rightarrow CO_2 \uparrow$ respiration (all creatures)
- $N \rightarrow N_2 \uparrow$ denitrification (denitrifying bacteria)
- $H \rightarrow H_2O \approx$

- $P \rightarrow PO_4^{3-}$ can not leave to atmosphere - accumulates!
 → feedstock for algae and bacteria

Natural Pond / Pool means reasonable quantities of input \neq sewage plant

- pre-condition 1:
 - less input of Carbon than creatures can degrade, more oxygen available than needed to build CO_2 ,
 - less input of N than biology can use or degrade.

Natural Pond / Pool means living environment, not chlorinated or poisoned

- pre-condition 2:
 - no poisons!

pre-condition 1 & 2 ok

→ only P-problem is left to solve

Phosphorus limits primary production

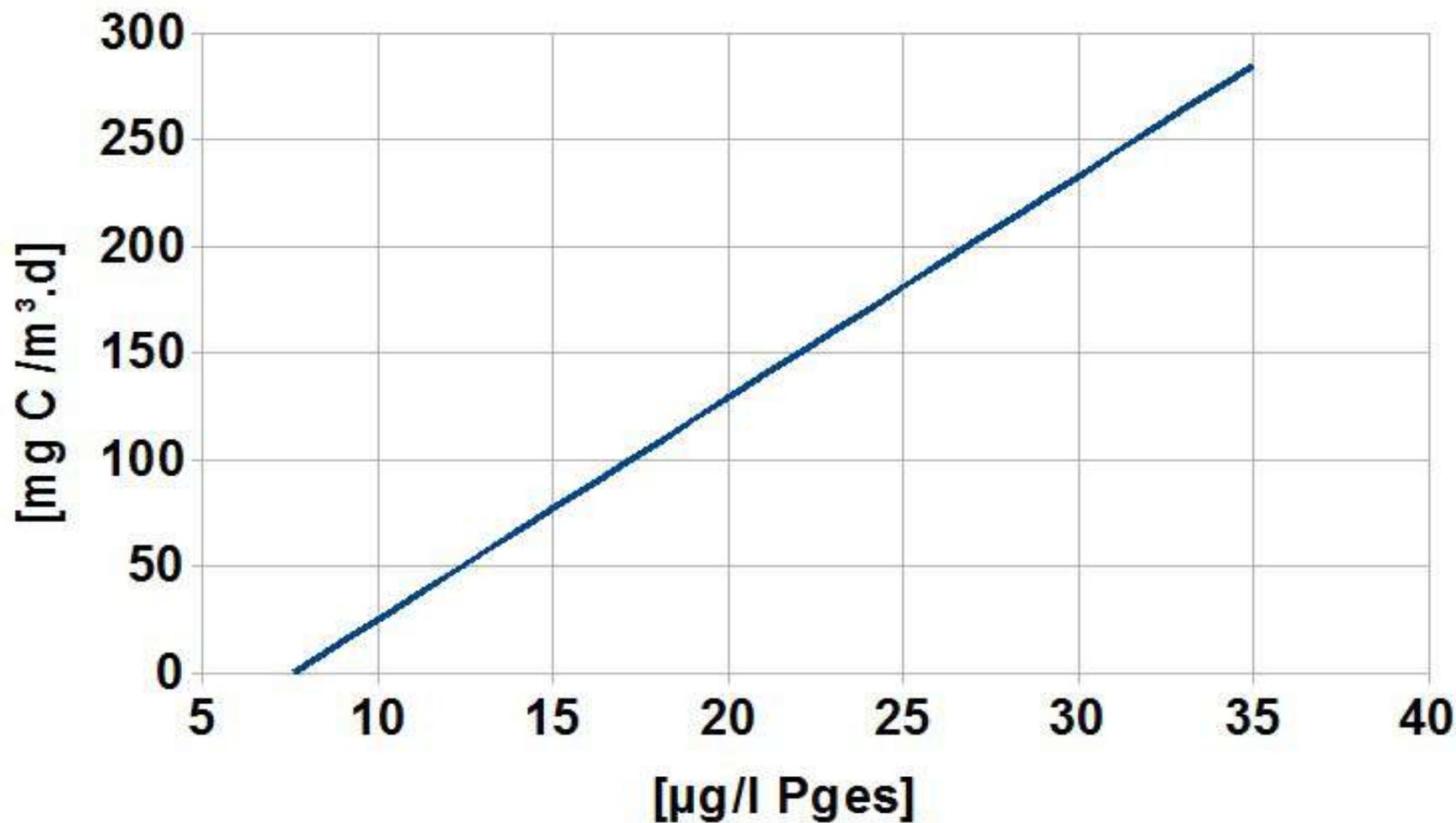
- you know the quantity of P accumulated
→ you know how much biomass will grow

primary production

Lampert et al. 1993

Primärproduktion Lampert 1993

$$\text{PPR} [\text{mgC}/\text{m}^3 \cdot \text{d}] = 10,4 * \text{Pges} [\mu\text{g}/\text{l}] - 79 \quad r^2=0,94$$



example

you fill our clean hole with clean water and nothing comes in except:

1 person swimming every day

how much algae biomass will be produced?

how much sediment will be formed?

PÄP

the persons equivalent phosphorous (PÄP) is the average input of 1 user (swimmer, bather)

1 PÄP = 100 mg P per person and day

so in our 100m³ indoor-pond-example 1 person is swimming every day, brings in 100mg P every day...

Redfield OECD

in a natural environment (lake)

carbon \propto nitrogen \propto phosphorus

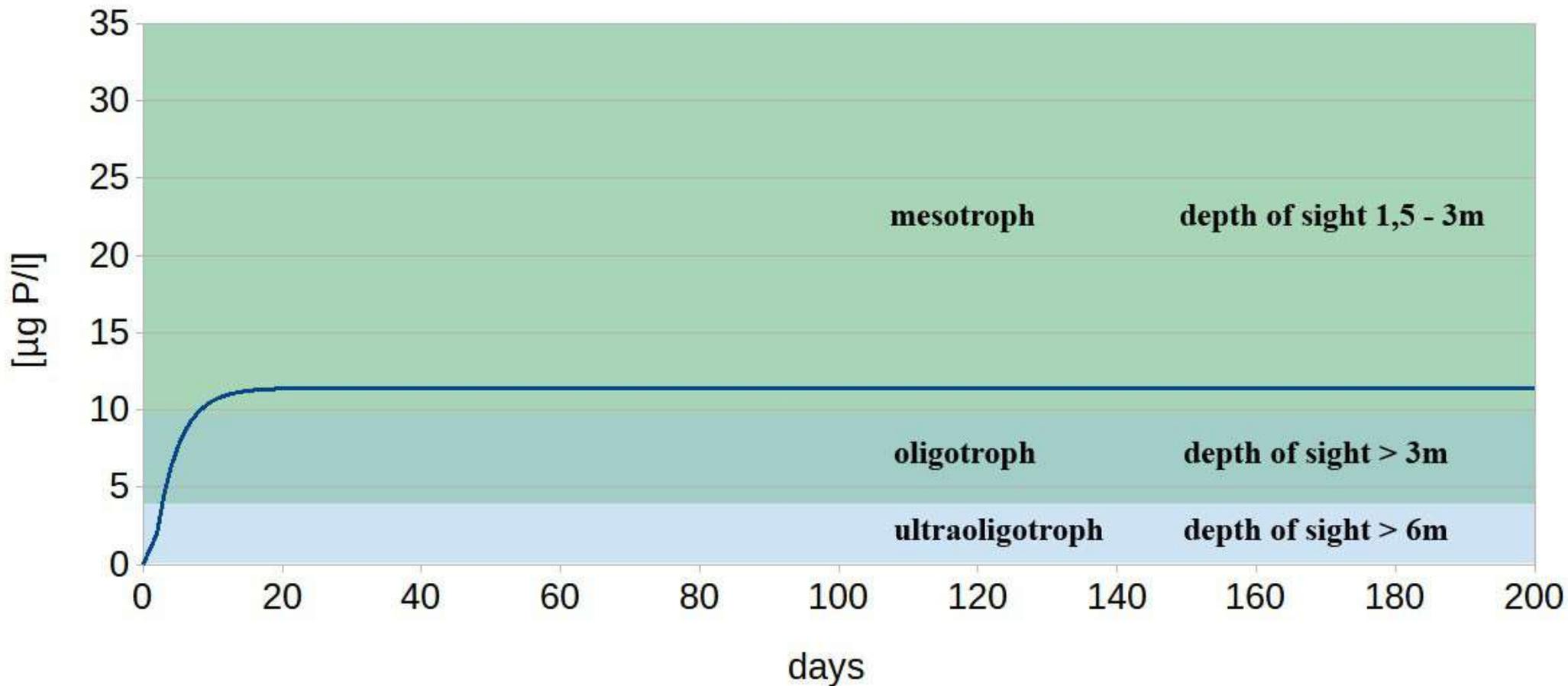
\propto biomass \propto chlorophyll \propto depth of light

\propto trophic \propto bacteria count \propto zooplankton

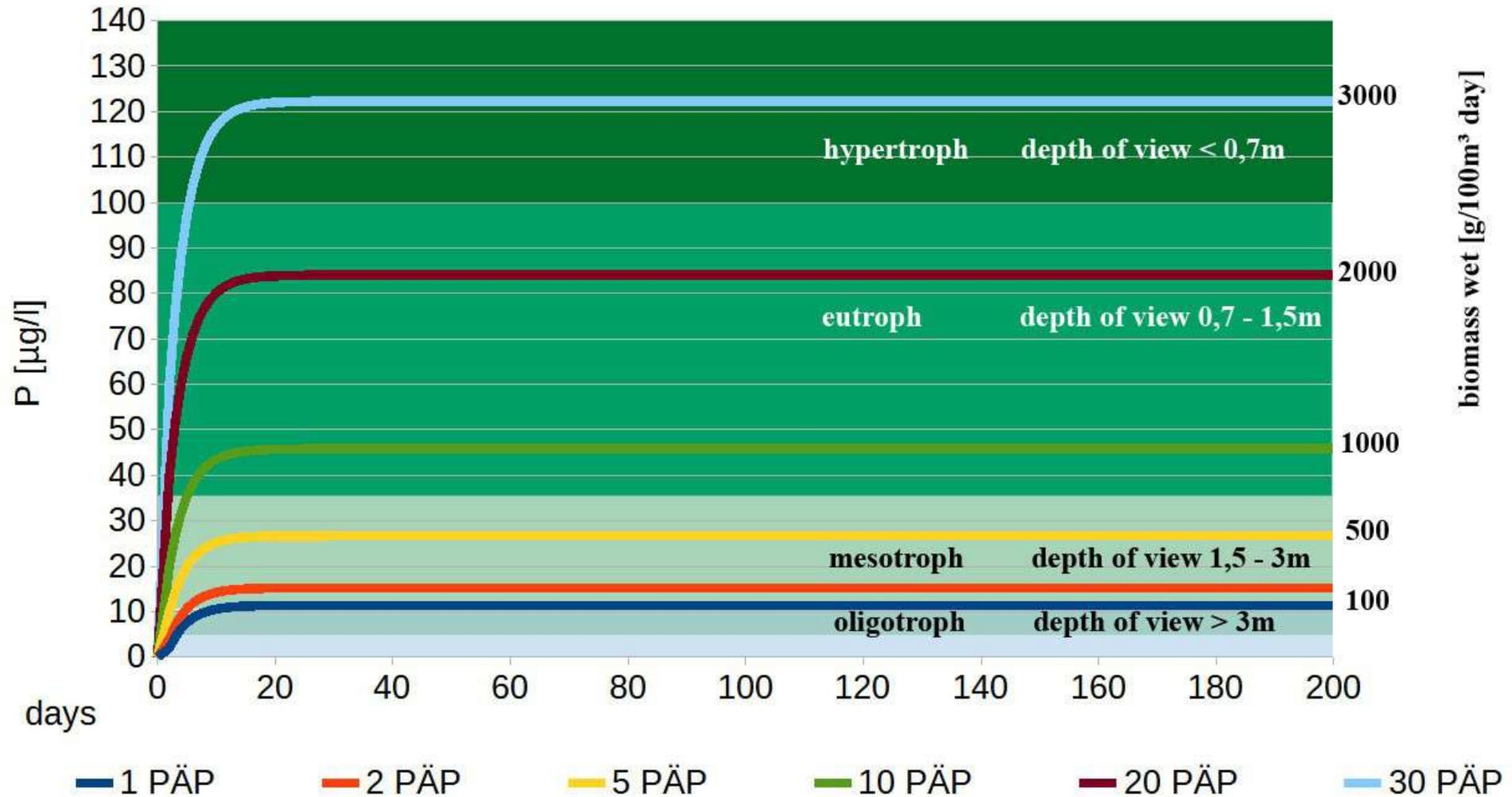
- \propto sign stands for "is proportional" example: phosphorus \propto carbon: $P = (C/(106 \times 12)) \times 32$
(molar ratio C:N=106:1 molar weight C=12 molar weight P=32) $P [g] = 39,78 C [g]$
- example: phosphorus \propto biomass wet: $P \times 1000 \approx \text{biomass wet (analysis)}$

P $\mu\text{g/l}$ taking primary production (algae) into account

input 1 PÄP / 100m³,
(total input 200 $\mu\text{g/l}$ in 200days)



P $\mu\text{g/l}$ taking primary production (algae) into account



swimming pond

idea of the swimming pond:

grow algae and produce sediments

...and take out the sediments occasionally

example

you fill our clean (indoor)hole with clean water and nothing comes in except:

7 person swimming every day

you can expect $34\mu\text{g P}$, this leads to

696g biomass wet / 100m^3 per day

7 kg in 10 days

70 kg in 100 days

140 kg biomass (wet) in 200 days

7 PÄP - how many persons?

PÄP = 100mg P per day

- can be a person
- can be input from filling water
- can be input from surroundings
- can be input from building materials

i don't want sediments

if you can live with sediments, and have a moderate input of P, the natural pond is perfect

if you have more input or don't want the sediments:

- put in a pump....?*

algae swimming pond



you put in a pump and make the water flow

→ from plankton to filamentous algae

- clean water, no sediments
- algae biomass sticks on the wall (7 PÄP → 140kg algae/a) , plants pass away

mechanical filtration swimming pond

put in a pump and a perfect mechanical filter, filter out the plankton (2,78kg every day), not move the water along any wall...→ swimming-pond with less sediments, but still green .

you need to grow algae to filter them out!

- no improvement in depth of sight ($\hat{=}$ sedimentation pond)
- no increased load possible ($\hat{=}$ sedimentation pond)

clean water, no sediments, no algae

you grow algae outside the pond

you grow biofilm outside the pond

→ you lower P concentration in the pool

Natural (water-treatment) pool

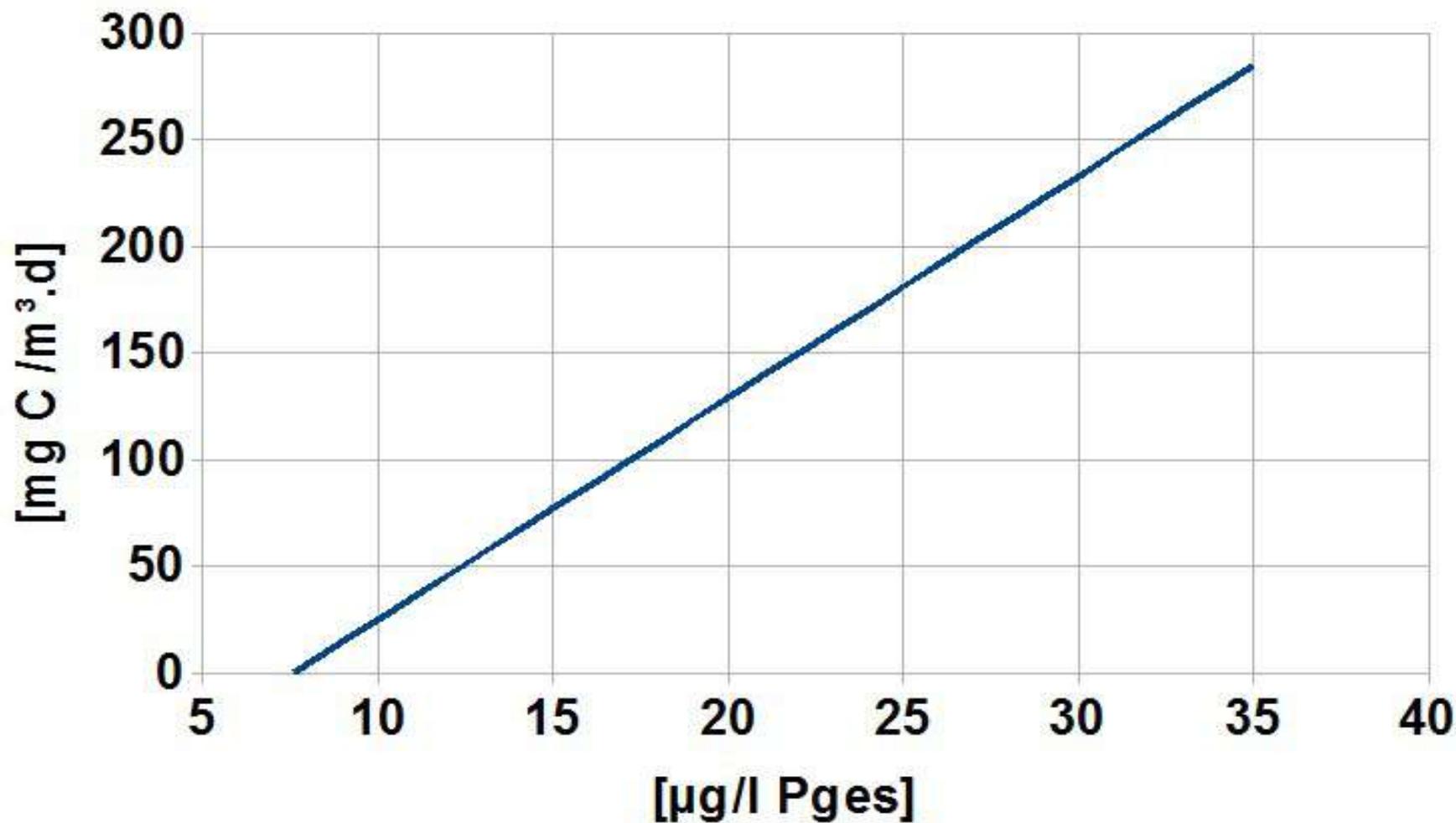
goal:

stay under $10\mu\text{g/l P}$

→ nearly no algae, nearly no sediment

Primärproduktion Lampert 1993

$$\text{PPR} [\text{mgC}/\text{m}^3 \cdot \text{d}] = 10,4 * \text{Pges} [\mu\text{g}/\text{l}] - 79 \quad r^2=0,94$$



stay under $10\mu\text{g/l P}$

- lower the input (filling water, building materials, surroundings input, (swimmers?))
- add more external biological filters

Natural Swimming Pool - Biofilter

move water along a surface

→ biofilm will grow

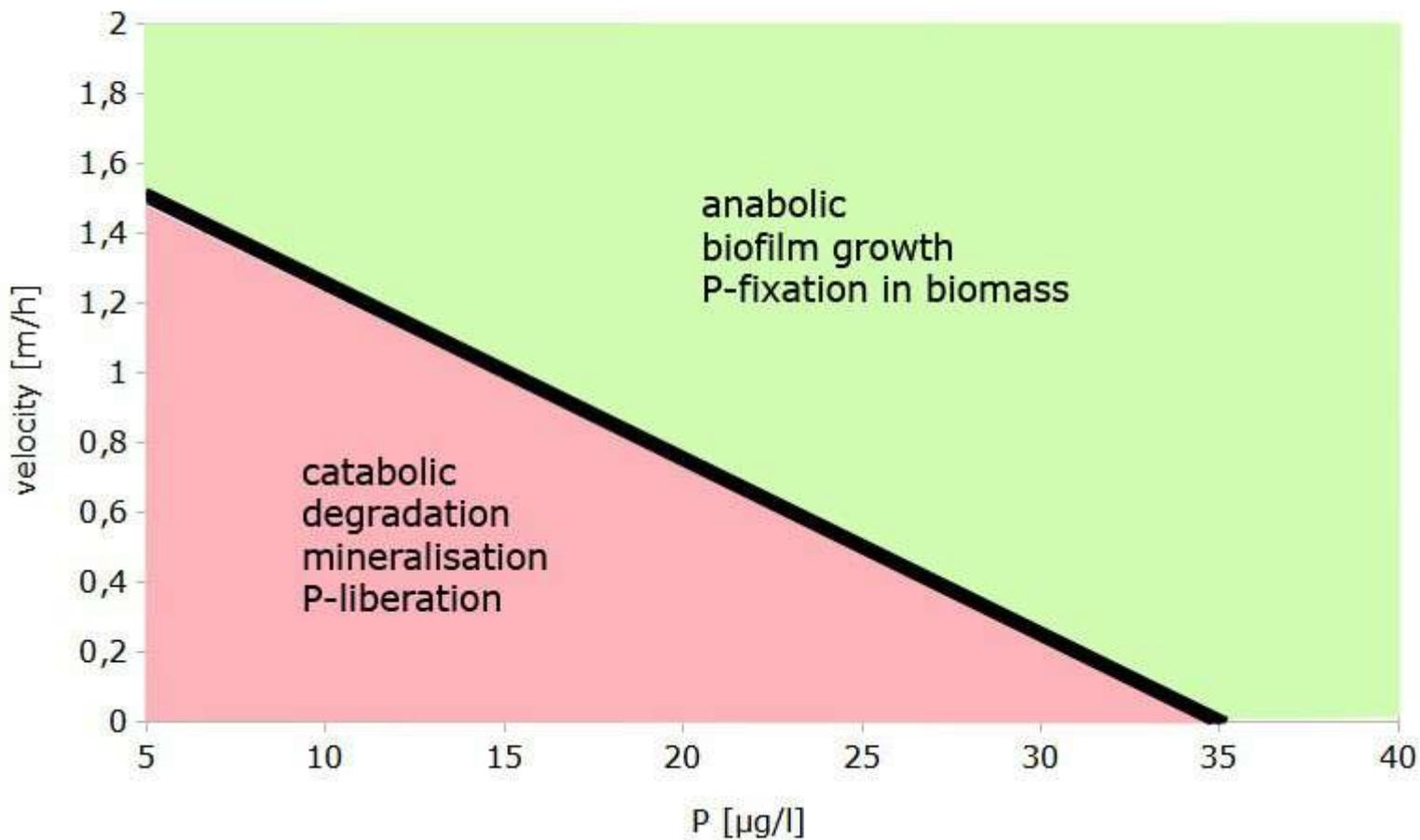
how much?

biofilm \propto (P x velocity x surface x time)

Natural Swimming Pool - Biofilter

- at low nutrient levels biofilm needs flow just to survive
- if the velocity is higher, biofilm is growing
- if the velocity is lower, biomass will degrade

biofilm metabolism (P-limitation)



Biofilter for Swimming Pond

slow biofilter

degradation of biomass to nutrient solution

→ need of big sedimentation zone (plants)

→ or algae

(or mix 😞)

Biofilter for Natural Swimming Pool

= fast biofilter

idea: build up biomass to bind P

→ need of volume to store biomass

(7PÄP = 140kg biomass / 200 days)

input → = biomass → = output

Pool-Biofilter size

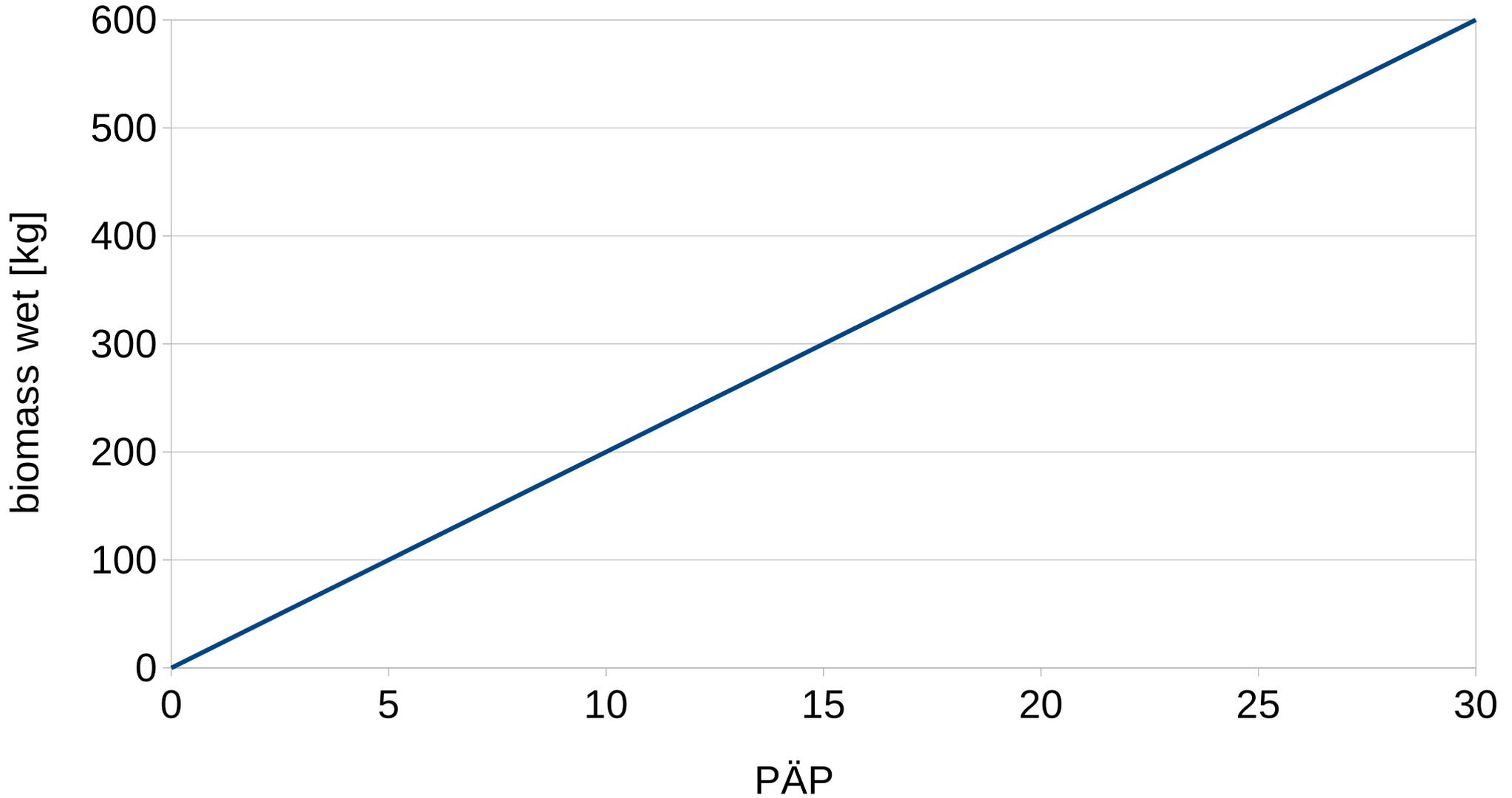
how much space do I need for biomass?

- PÄP \propto biofilm-biomass

1PÄP (100mg P/d) =

$$0,1\text{gP} \times 1000 \times 200\text{d} = 20.000\text{g} = 20\text{kg/a}$$

Biomass production per 200 days



storage conditions biofilm

biofilm needs oxygen

→ no oxygen → set P free

needs food

→ no food → set P free

→ → large area for delivery by water

2m^3 gravel / 10m^3 water

for a stable installation we take 2 m^3 gravel per 10m^3 water and 1 person. That equals 4 PÄP:

≈ 2 PÄP (for 1 person and input)

+ 2 PÄP reserve (you will need for stable operation!)

2m/h velocity

for a stable installation you should provide 2m/h water velocity or more on the surface of the gravel, to ensure the biofilms needs.

real velocity, relative water/surface

velocity [m/h]:

- your pump delivers a water volume (measure it!)
- your gravel has a free volume for the water of about $1/3$ if you have nearly 1 size gravel. So the velocity in the gravel is 3 times the theoretical velocity without gravel.

calculation

goal: $\leq 10\mu\text{g/l P}$

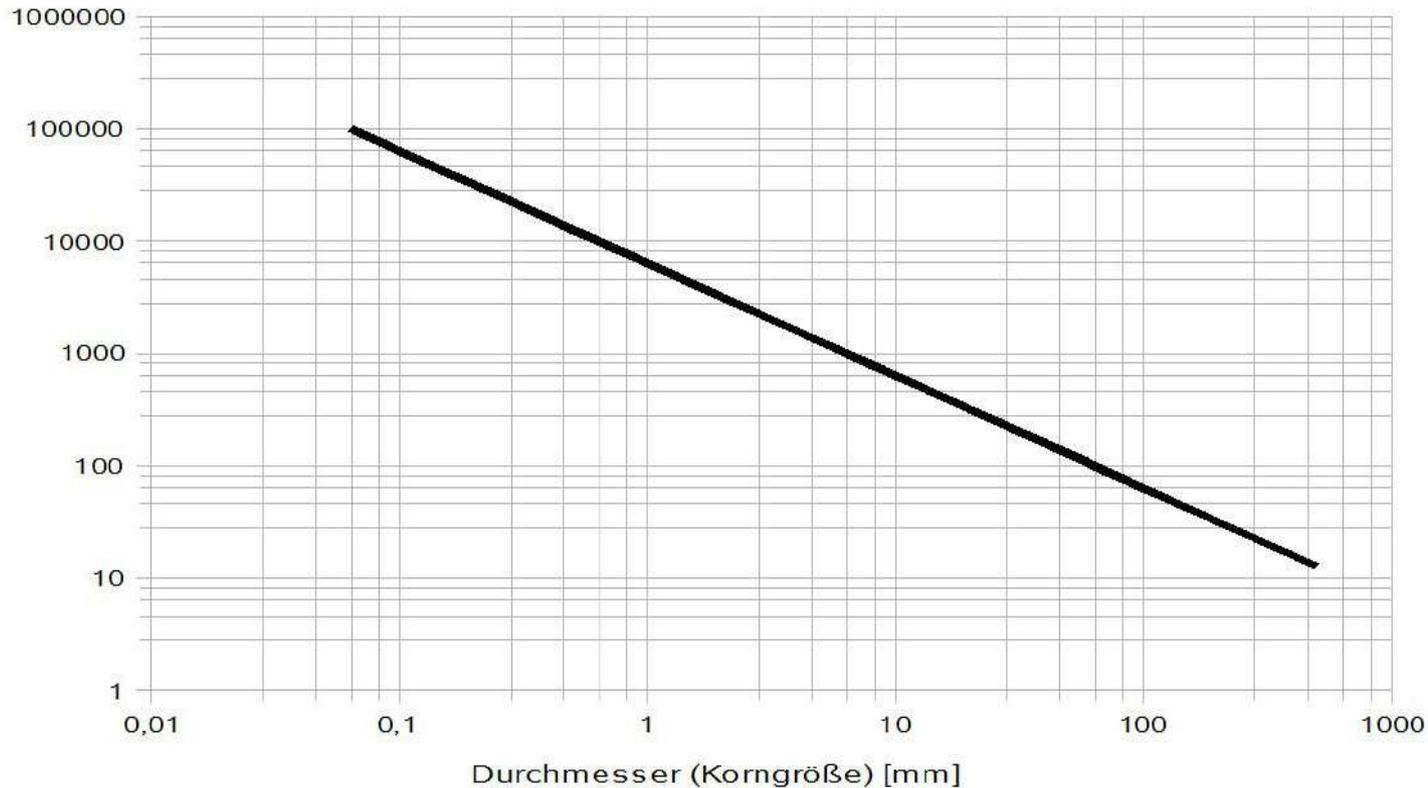
biofilm $\propto (P \times \text{velocity} \times \text{surface} \times \text{time})$

P: we want to know the biofilm-production at $10\mu\text{g/l P}$

(1000 times less than in a sewage plant!)

surface [m²/m³]

Oberfläche von Rundkies und Sand verschiedener Korngrößen
glatte Oberfläche, runde Körnung



example

gravel:

6-8mm surface $1000\text{m}^2/\text{m}^3$ 28% free volume

10m^2 bottom up filter, 2m high

how many PÄP?

example

$1000\text{m}^2/\text{m}^3$ = surface

(10m^3 pump / 10m^2 area / $0,28$ free vol) - $1,2\text{m/h}$ base-biofilm-metabolism = $2,371\text{ m/h}$ velocity

$10\text{m} \times 2\text{m} = 20\text{m}^3$ volume

ASC-Filterkennzahl = $1.000 \times 2,371 \times 20 = 47.430$

example

ASC-Filterkennzahl = 47.430

$[\text{mgP}/\text{h}] = \text{ASC-Filterkennzahl} / 320$ (constant determined from practice)

$[\text{mgP}/\text{d}] = [\text{mgP}/\text{h}] \times 24$ (1 day 24 hours)

$\text{PÄP} = [\text{mgP}/\text{d}] / 100$ (100mg P/d = 1 PÄP)

→ $\text{PÄP} = \text{ASC Filterkennzahl} / 1333 = 35,5 \text{ PÄP}$

→ might be perfect for a clean built 100m^3 outdoor-pool used by 8 people

end

this is not the end but the beginning
love to biological mathematics...

→ follow us

Fast calculator

biofilm wet [g] =

P [g] x 1000

C [g] x 25

P[g]:C[g] = 1:40

(P[mol]:C[mol]=1:106)

Fast calculator

1 t

- 1000kg
- 1000x1000g
- 1000x1000x1000mg
- 1000x1000x1000x1000μg

æ (middle aged ligature a+e)

was used for latin aequalis æ

from this derived: equal =

proportional \propto also \sim is proportional

approximately \approx corresponds to $\hat{=}$

identical \equiv